

Breaking free from the chains of blockchain protocols

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Our daydream for Bitcoin

long-term vision.

several orders of magnitude increase in

transaction volume (many MB per sec)

transactions confirmed quickly (~1 sec)

highly secure



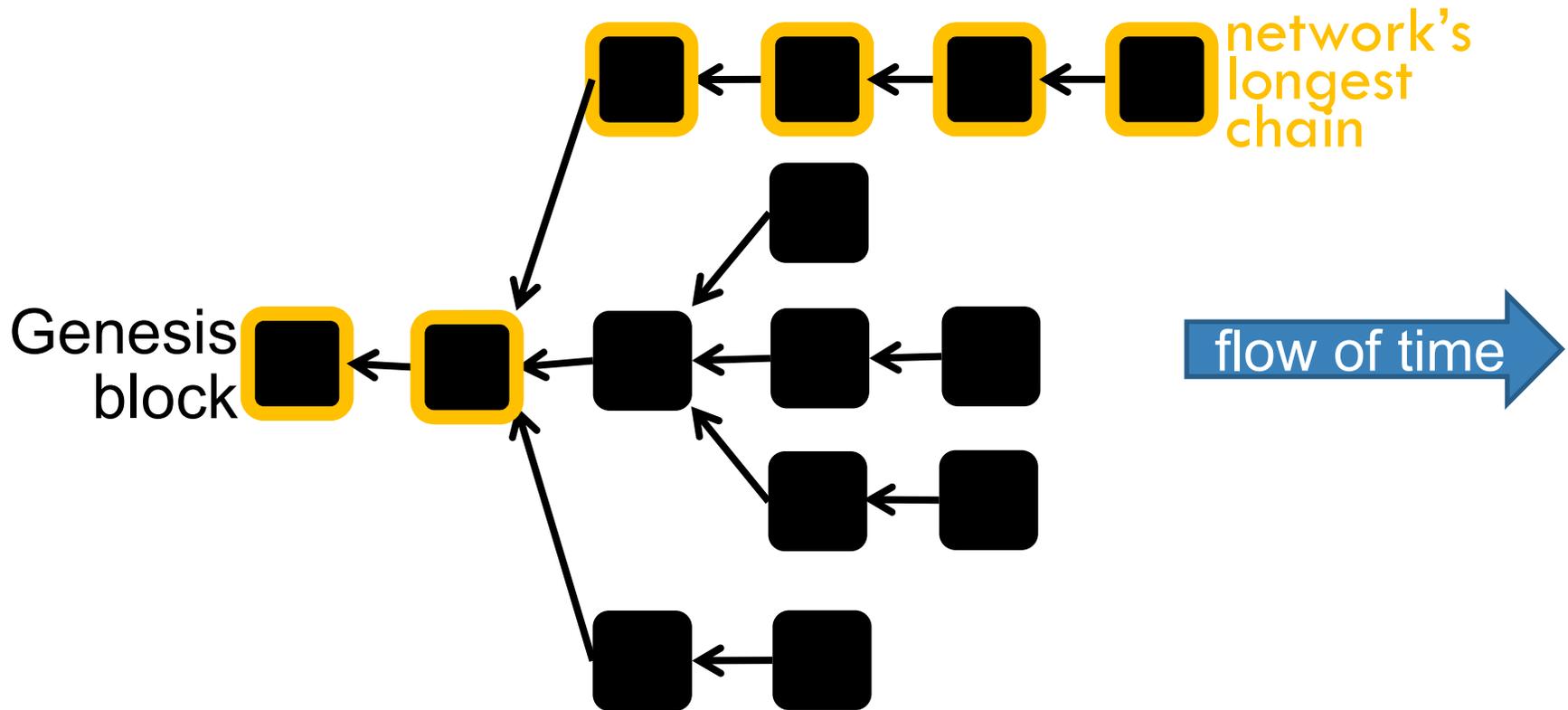
This work

a new family of blockchain protocols
makes use of ordinary Bitcoin blocks
- orthogonal to “offchain” solutions
scalable



Scaling*bitcoin*

Public ledger under high throughput



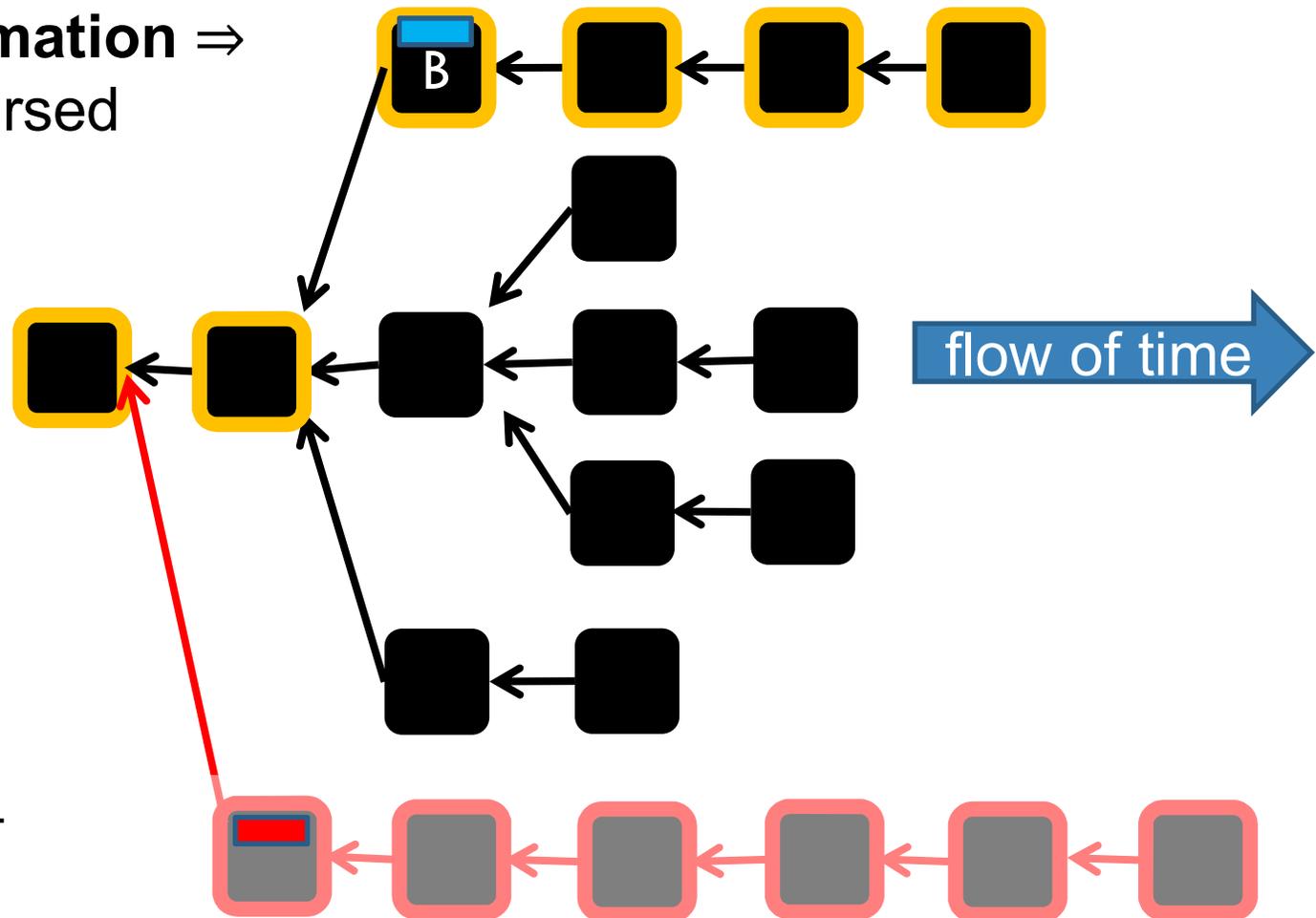
Double-spending



attacker publishes blocks

after confirmation ⇒

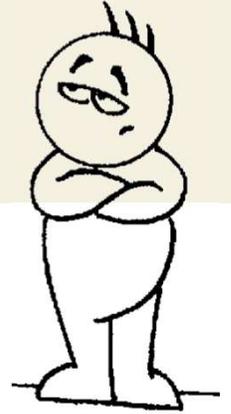
■ tx reversed



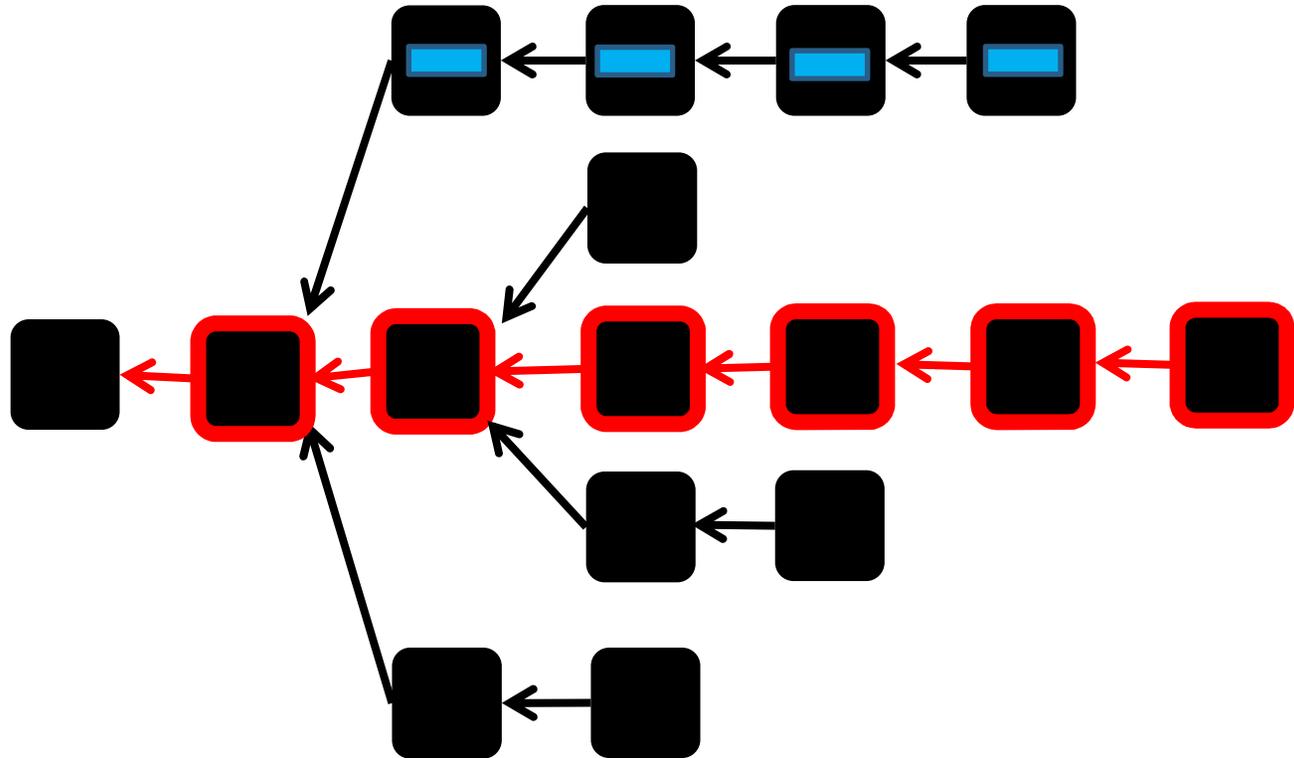
■ honest tx

■ double-spend

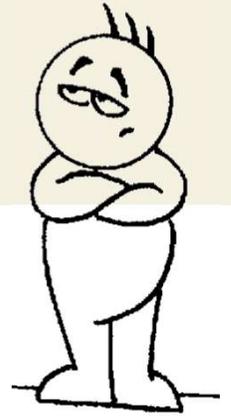
Censorship



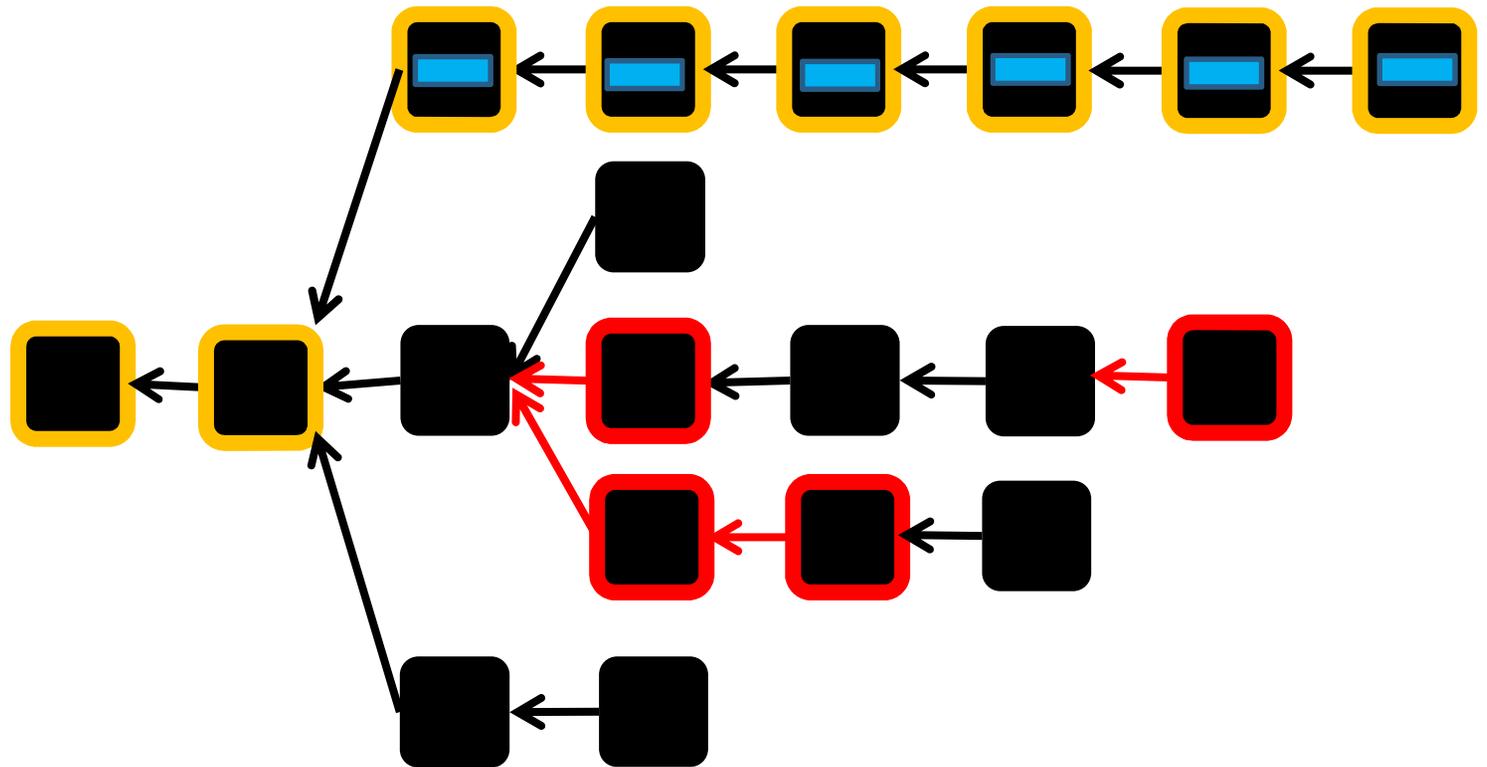
to prevent confirmation,
attacker publishes empty blocks fast



Delayed-Acceptance



to prevent confirmation,
attacker helps weaker chains to survive



Security thresholds under high throughput

	longest-chain	GHOST	ideal
 double-spending	$\ll 50\%$	50%	50%
 censorship	$\ll 50\%$	$\ll 50\%$	50%
delayed-acceptance	50%	$\ll 50\%$	50%

does an ideal protocol exist?



INSIGHT

“chainless” protocols.

1. to avoid vulnerability, all blocks participate in tx confirmation.
2. agreeing on the order of incoming transactions is enough.

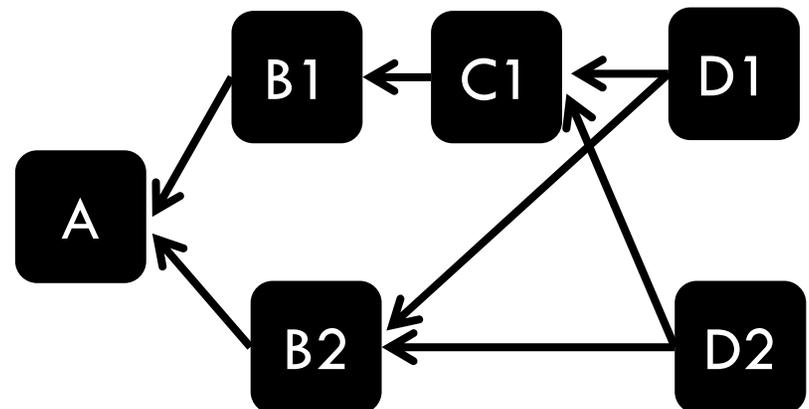
From chains to DAG

acknowledge **all predecessors**

ledger becomes block ~~chain~~ **DAG**

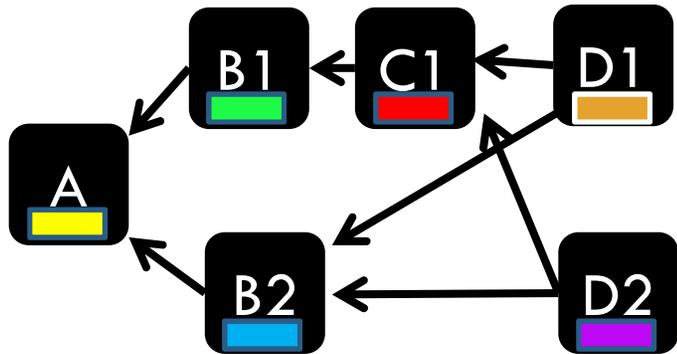
need to define new consistency rules

more complex, more powerful

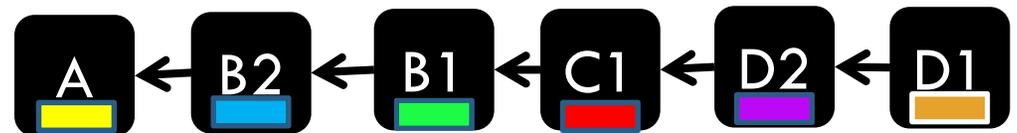


Consistency via linear ordering

observation: a **linear ordering** of blocks in DAG
induces natural consistency



block DAG



linearized block DAG

Consistency via linear ordering

a “good” order should be resilient to revision.

with high probability:

$(b < c)$ now implies $(b < c)$ later

no cutting in line: b published earlier than c implies

$(b < c)$

not easy to satisfy - naïve protocols are manipulable

New protocol

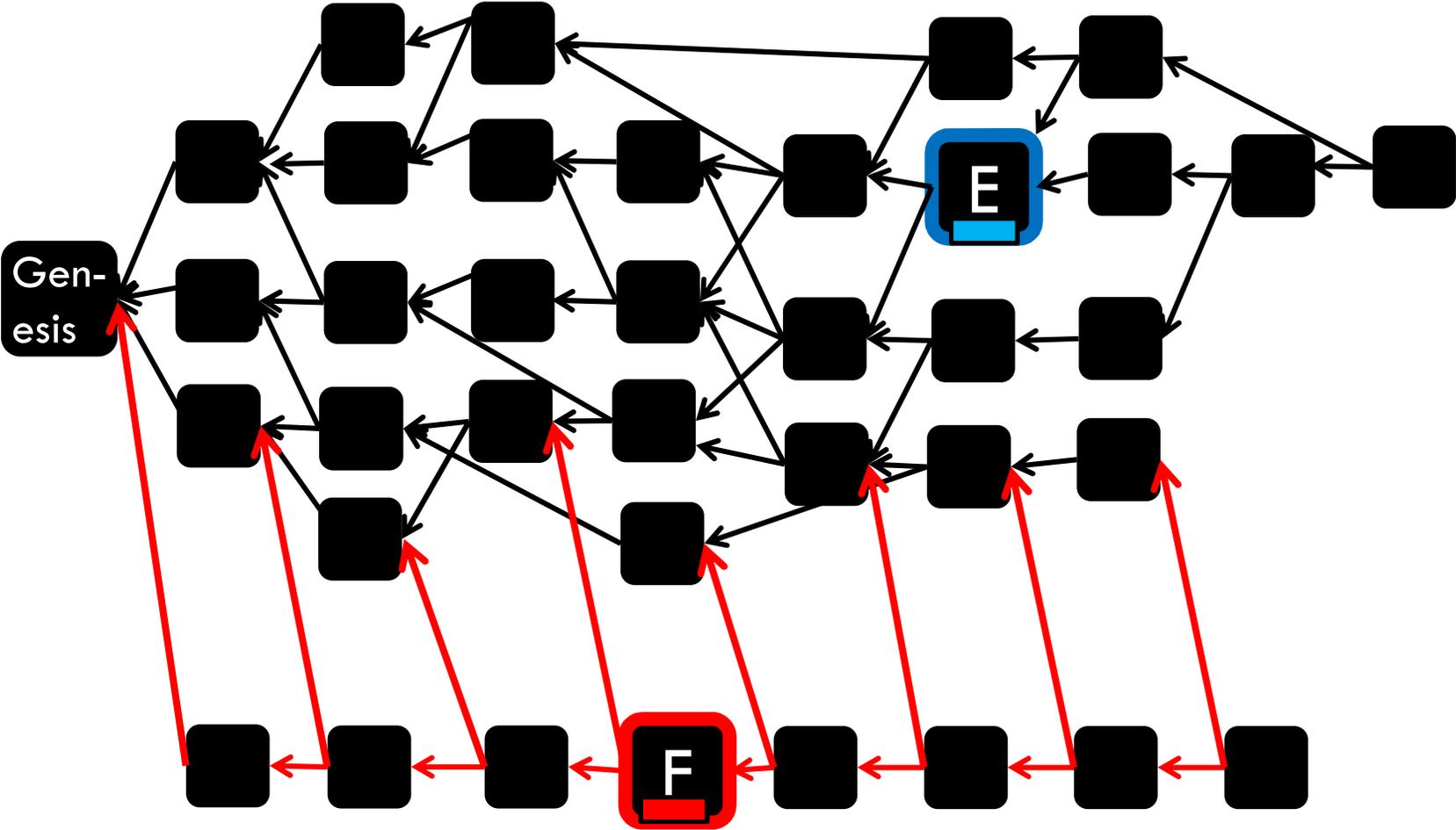
the order on a given DAG is decided by all blocks voting.

1. for each pair E, F , vote between $E < F$ and $F < E$
 - a) block C that knows E or F (or both): compute vote recursively
(base case: C votes $C < E$ for all E that it does not know)
 - b) block C that knows neither E nor F : compute vote by majority of blocks in C 's future
2. linearize pairwise votes via the “Schulze Method”

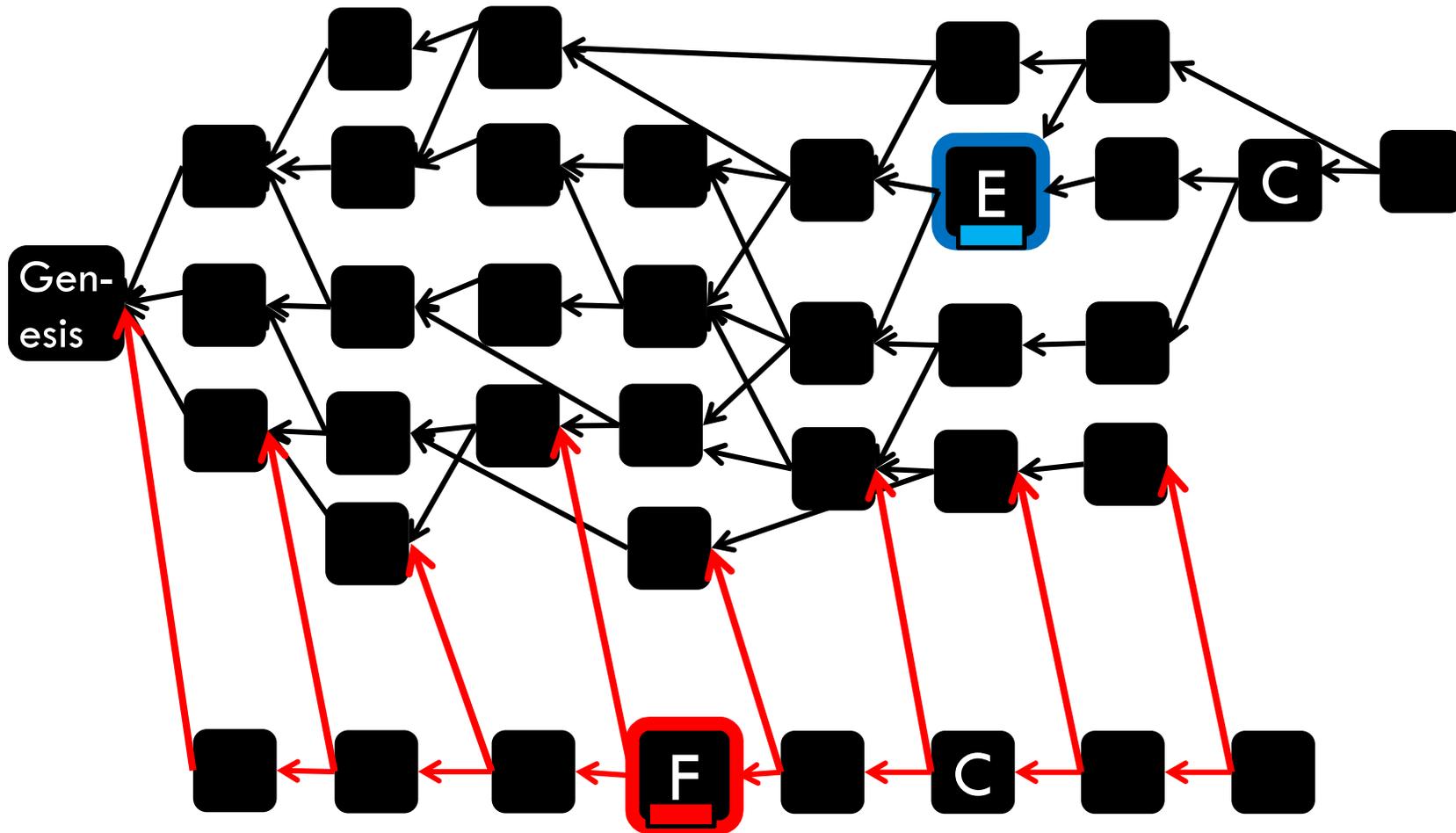
under no delays coincides with longest-chain/GHOST
provably correct



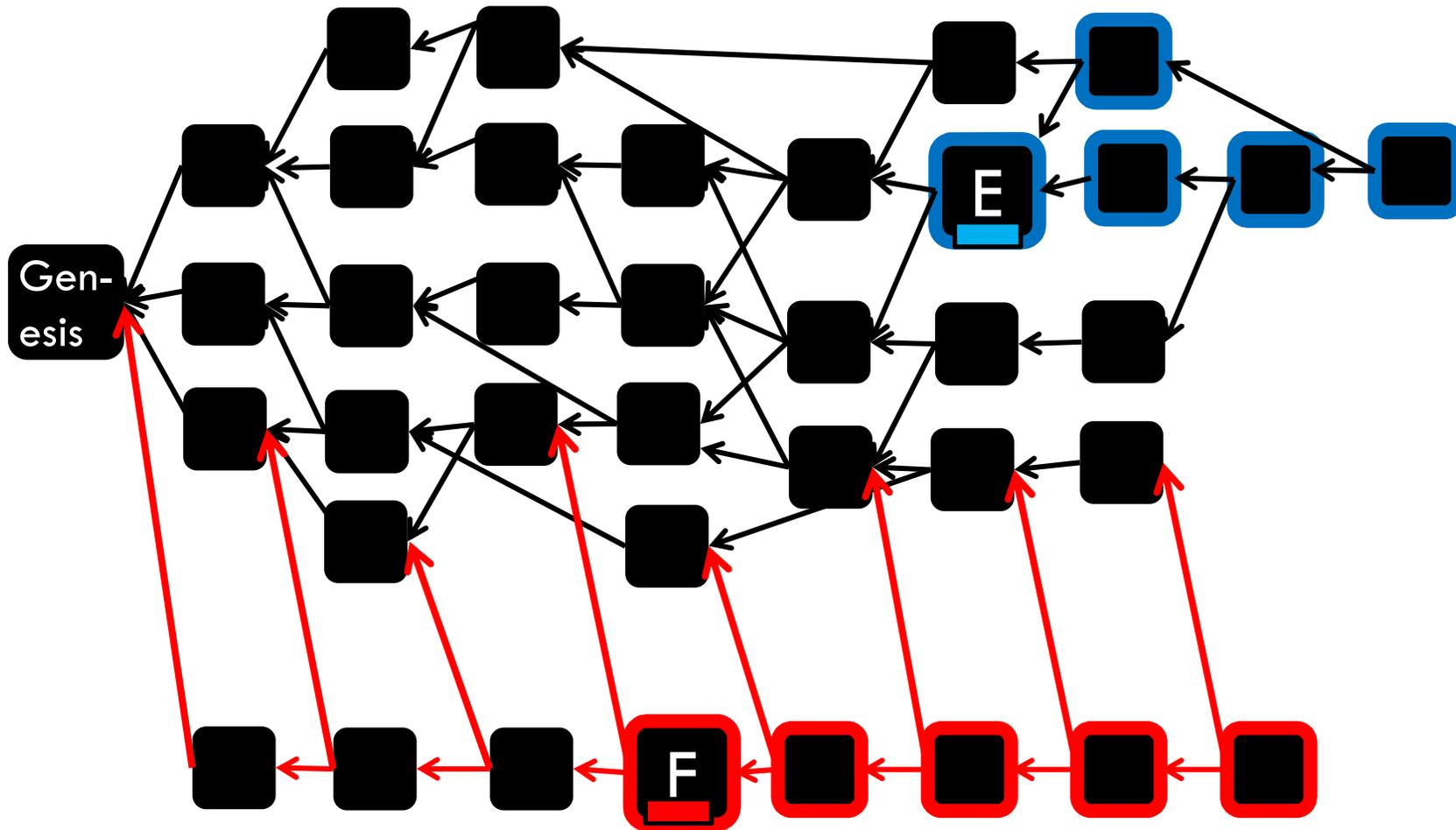
every new block runs protocol on its world-view



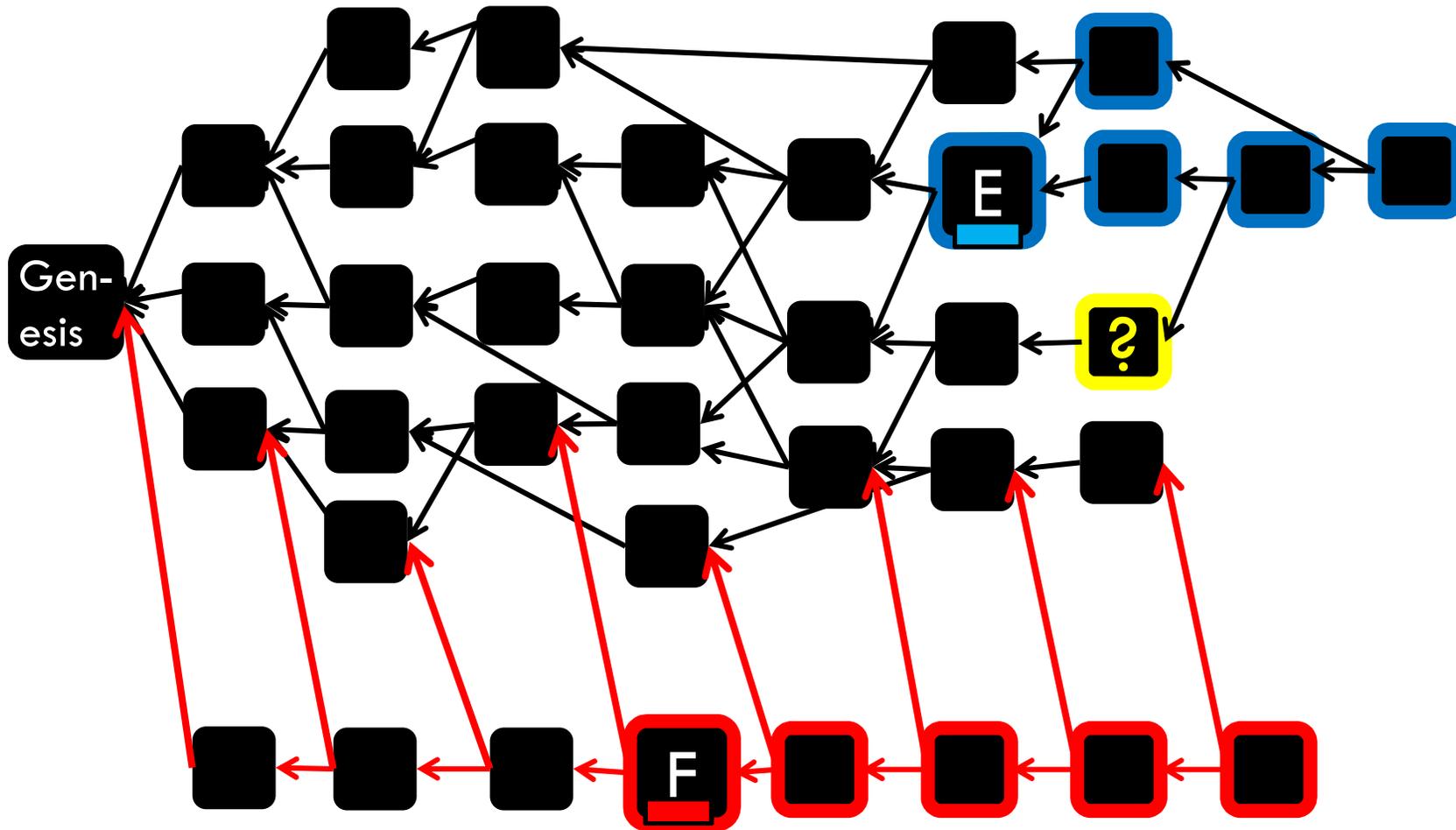
case #1: E or F are in past(C) \Rightarrow
infer C's vote via recursion



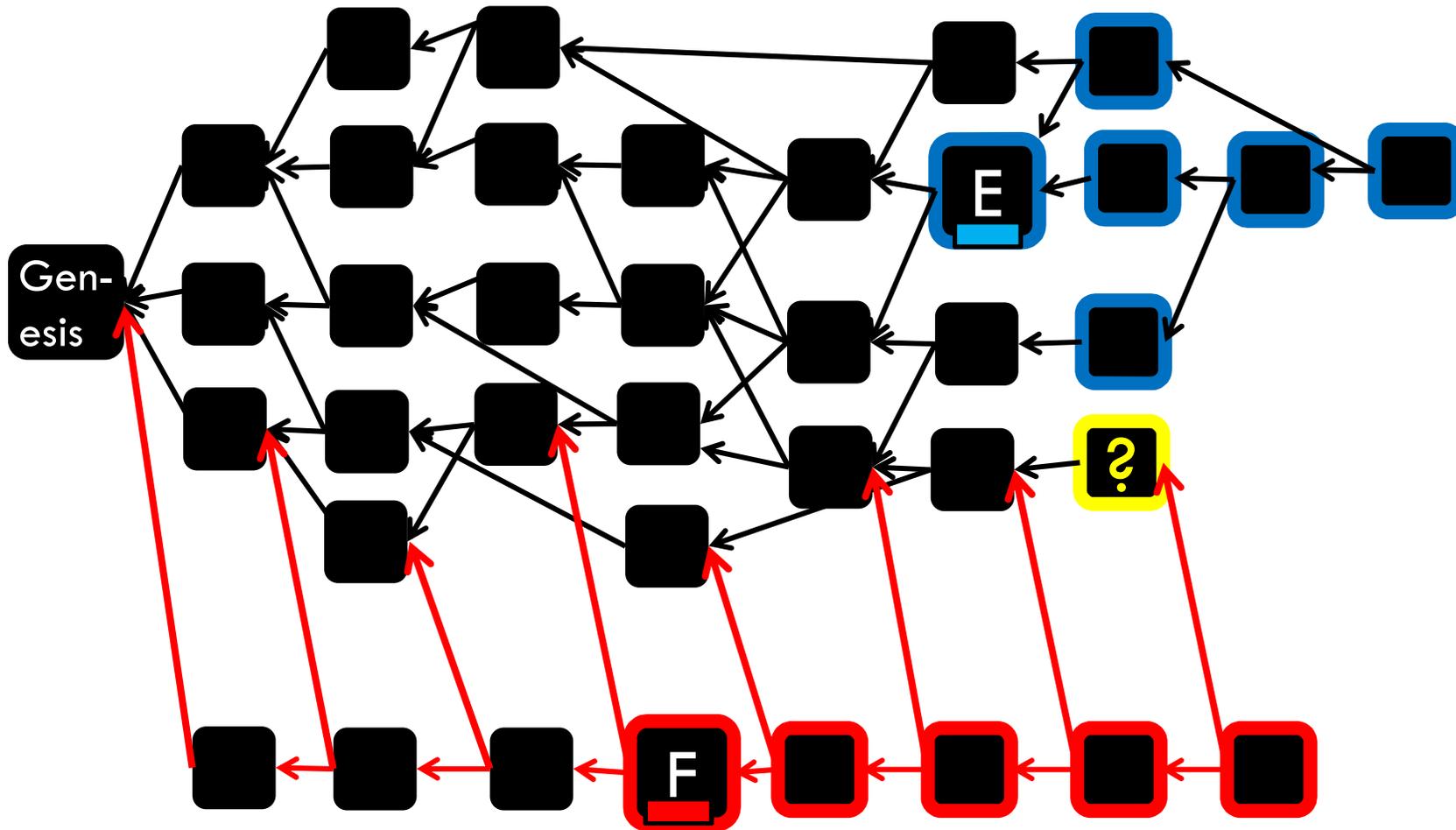
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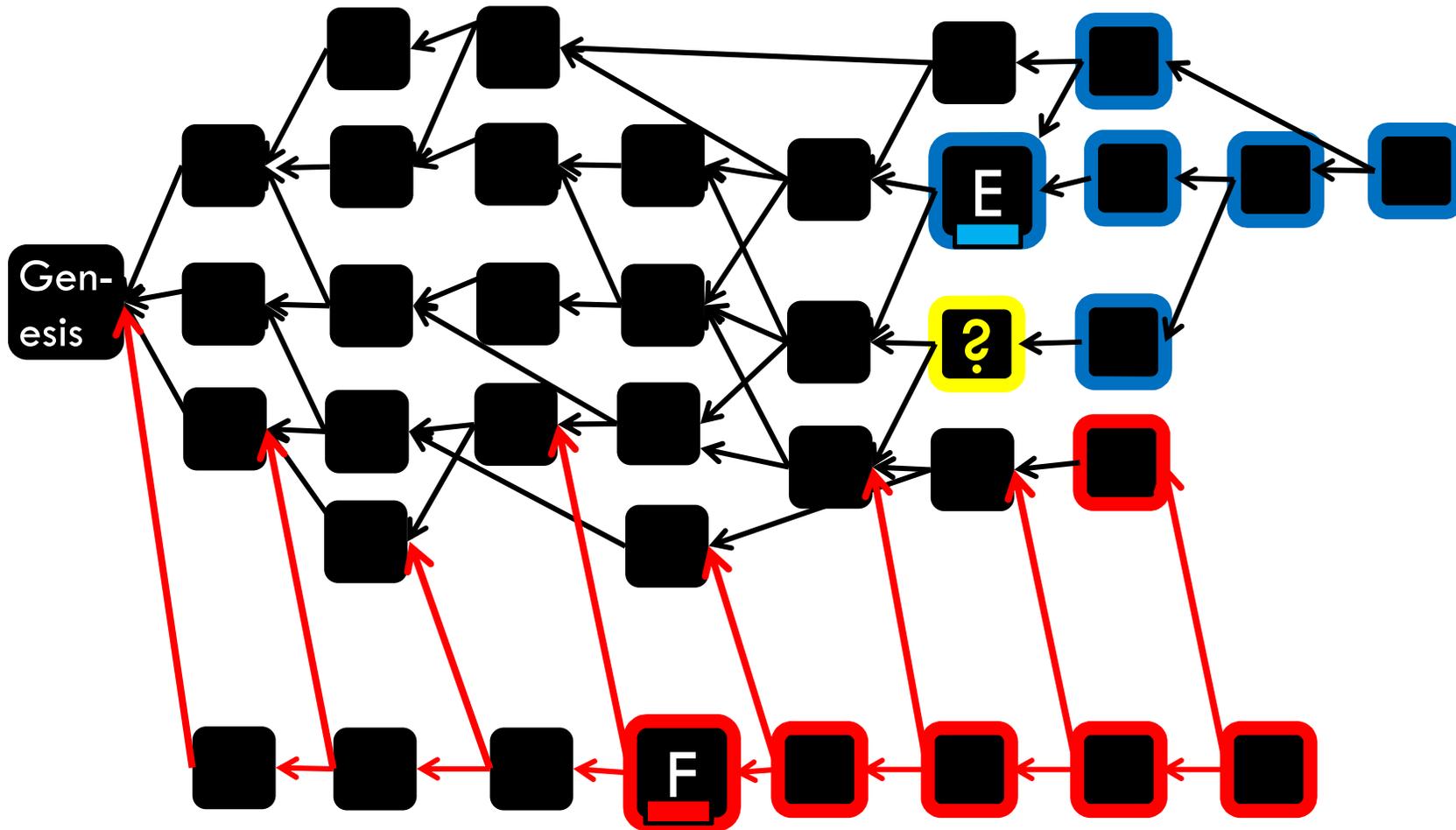
case #2, E and F not in past(C) \Rightarrow
C votes according to majority in future (C)



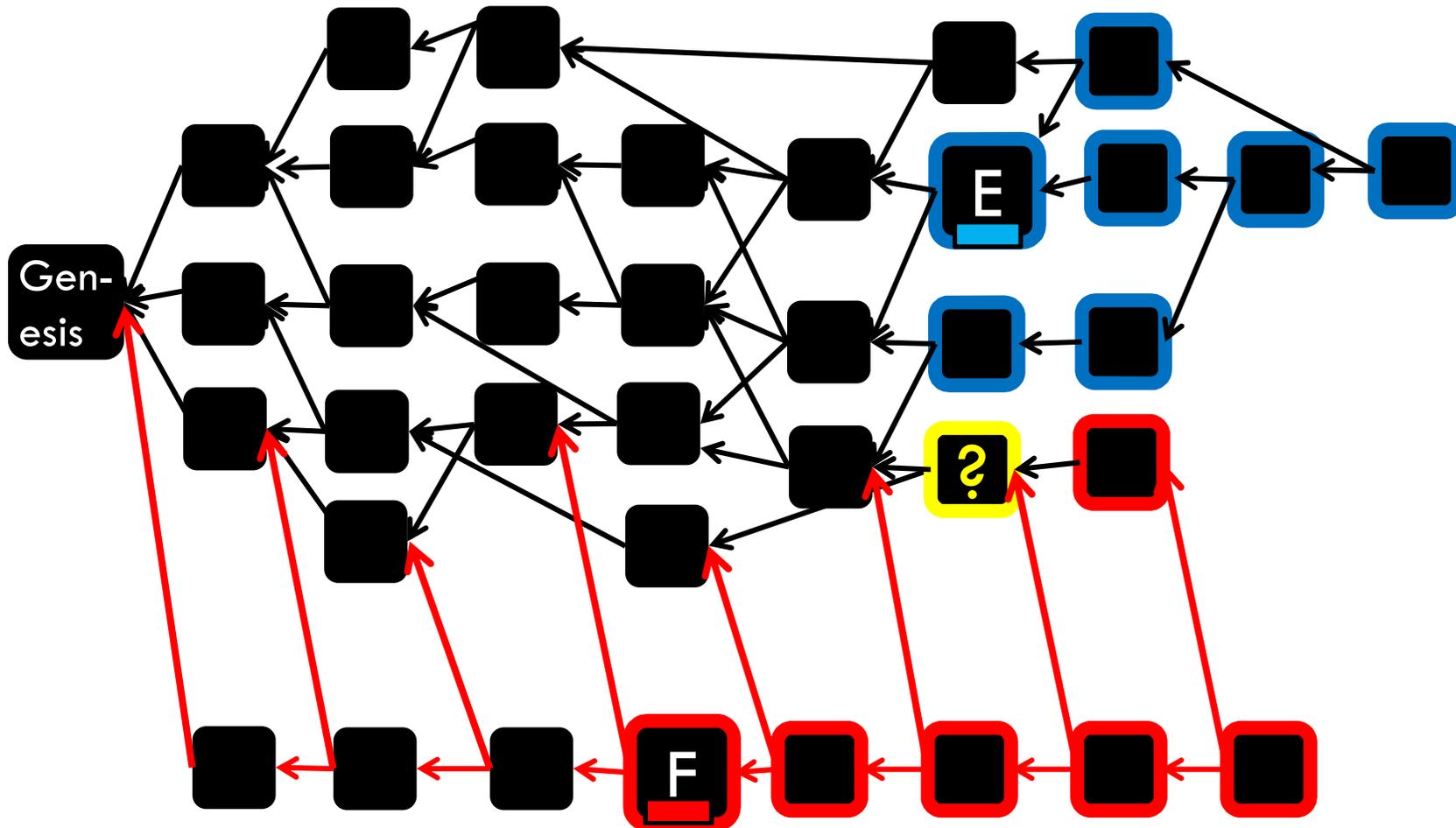
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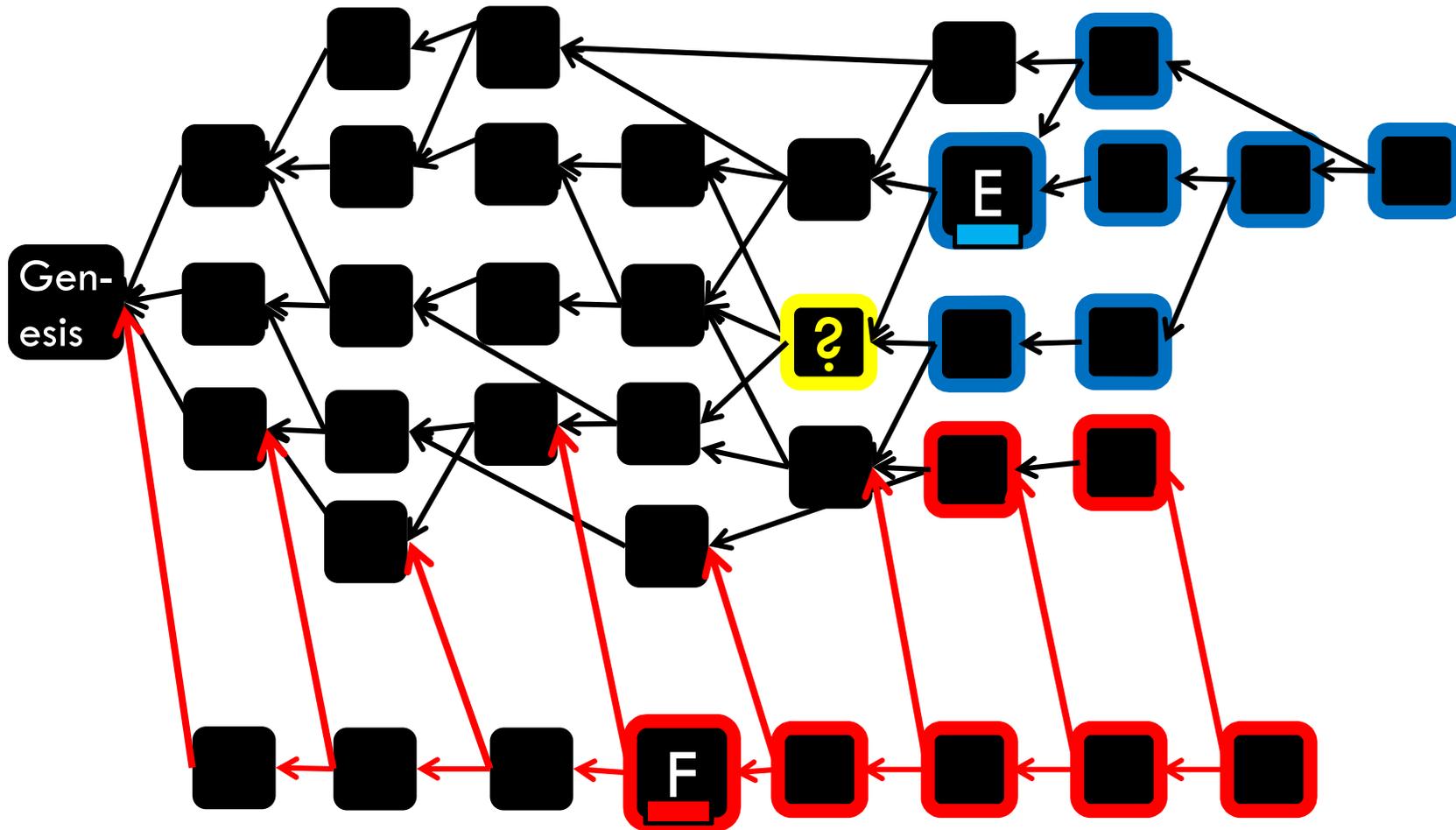
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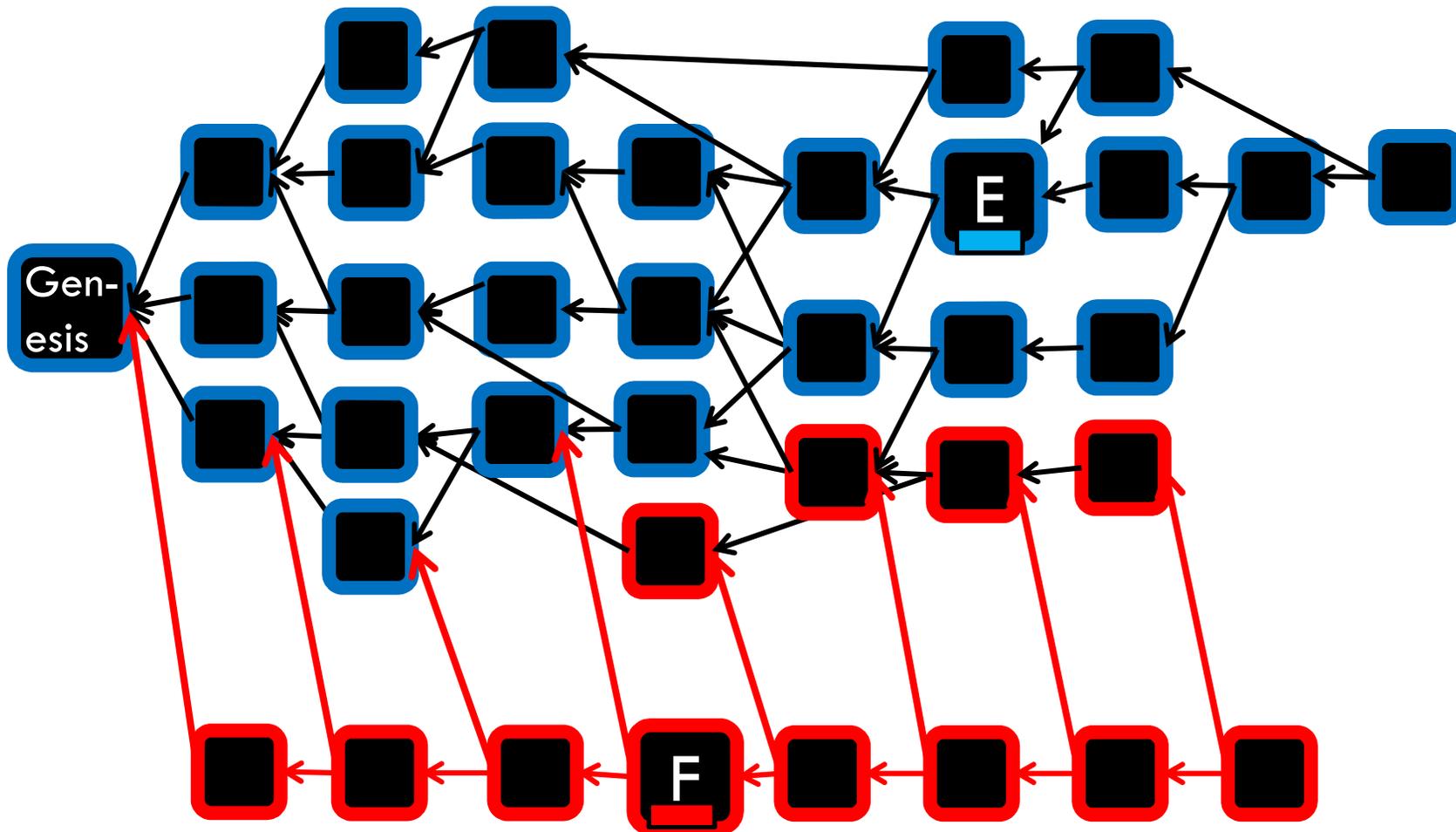
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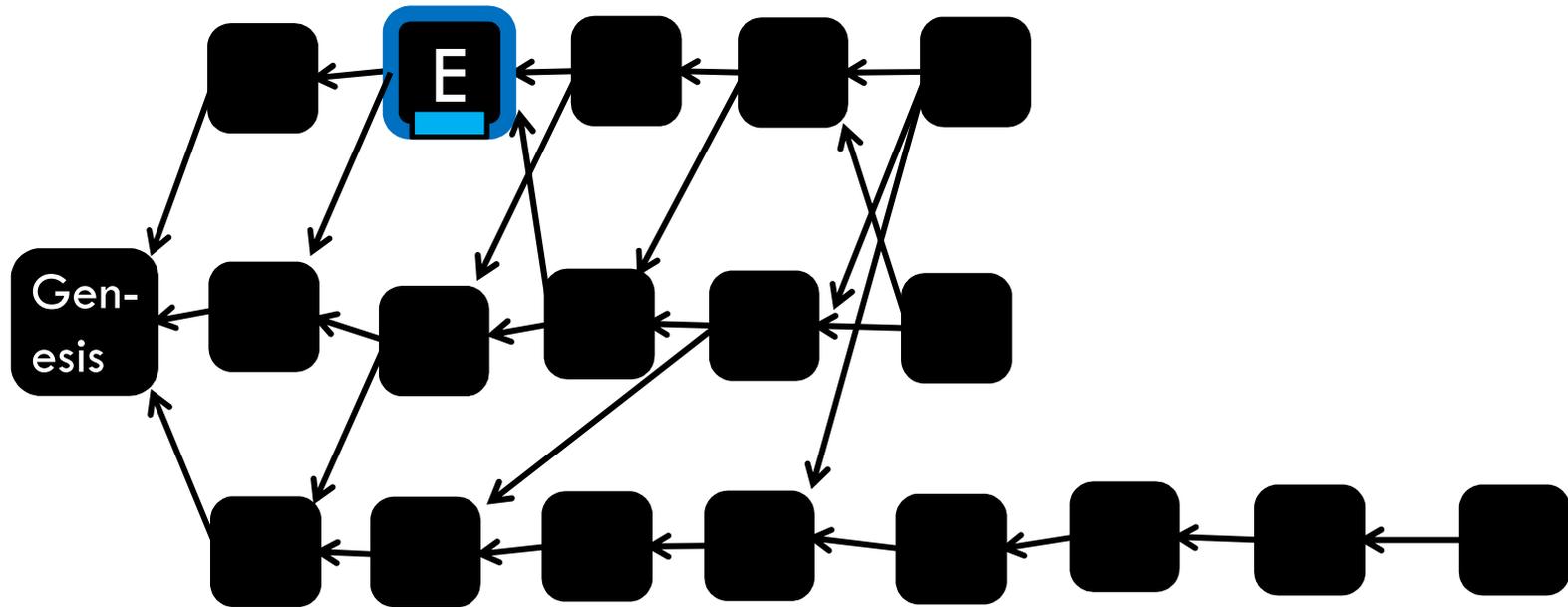
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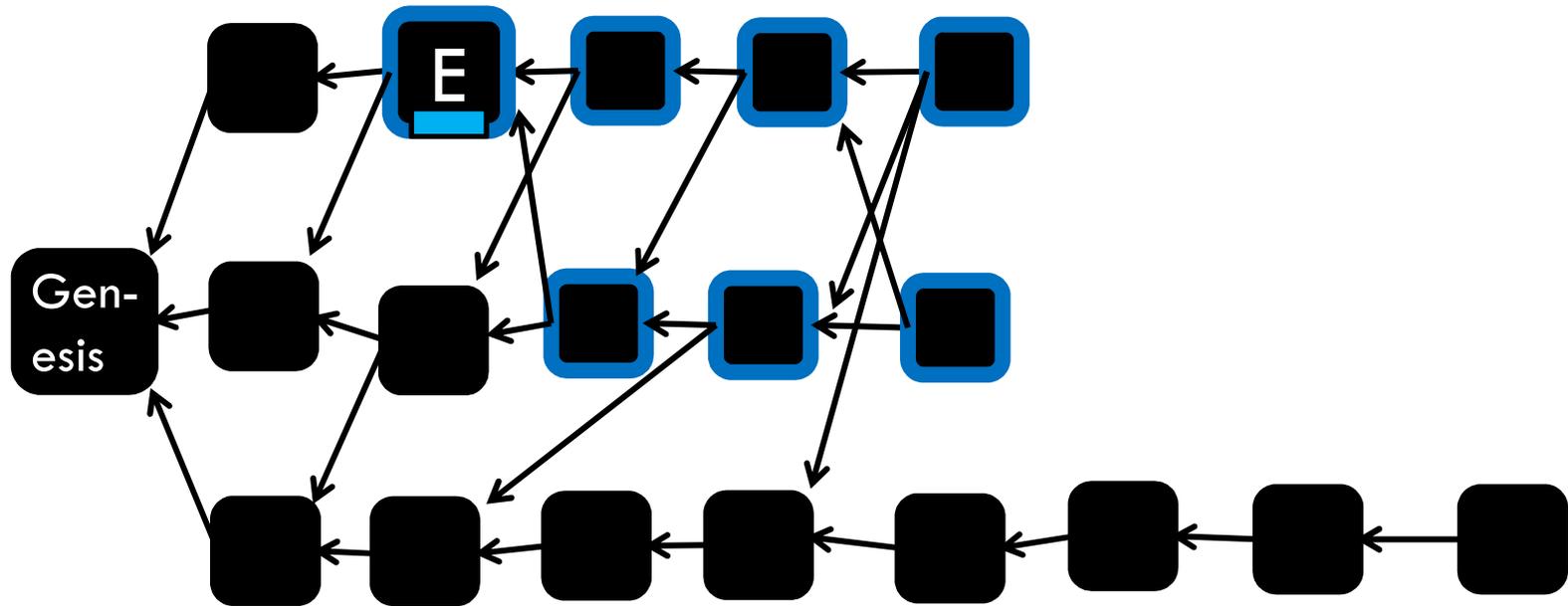
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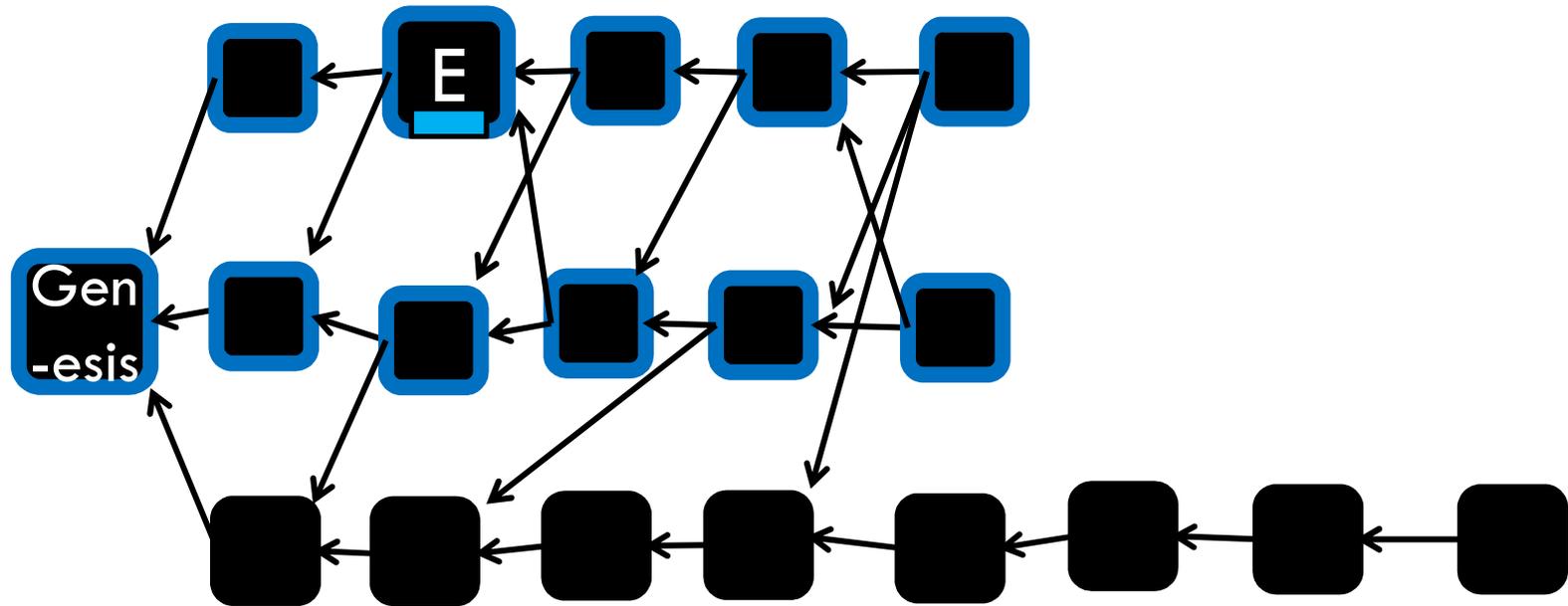
How censorship fails



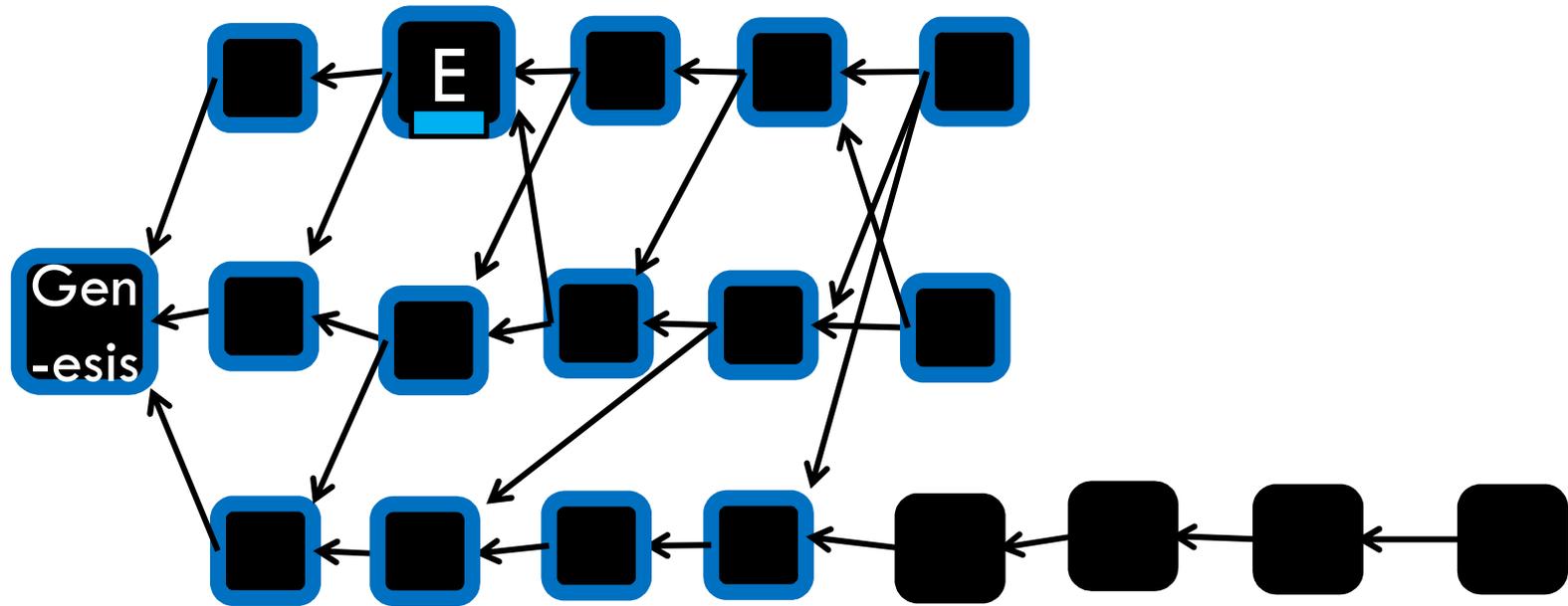
How censorship fails



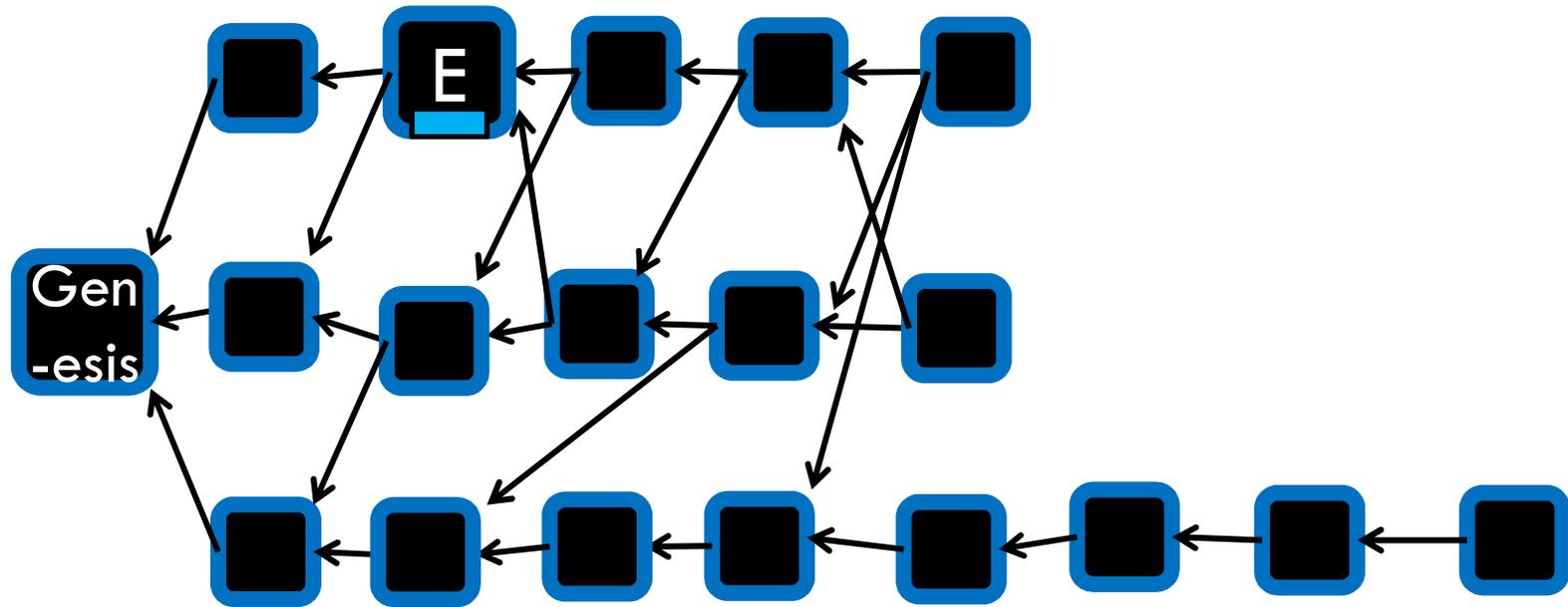
How censorship fails



How censorship fails



How censorship fails



Linearization

pairwise ordering not enough - cycles may form:

$A > B > C > A$

we use the “Schulze Method” to finalize the linear ordering

counting confirmations - we provide a policy, which is faster than longest-chain/GHOST

Back to the security thresholds

	Longest-chain	GHOST	New Protocol
 Double-spending	$\ll 50\%$	50%	50%
 Censorship	$\ll 50\%$	$\ll 50\%$	50%
Delayed-acceptance	50%	$\ll 50\%$	50%*

* excluding a *visible* double-spending

 we prove

We are working on...

patch for mining fees - countering “delayed-acceptance” attack

considering incentives, selfish mining

- our protocol does not make things worse

SPV and compact proofs

algorithmic efficiency for miners and merchants

Summary

the longest-chain rule cannot scale,
but Bitcoin can
chains are neat and compact, yet vulnerable
using DAGs allows utilization of the entire
mining power

“Bitcoiners of the world, unite! You have nothing
to lose but your chains!” (~~Karl Marx~~)

Thank You